## Models and Peterson's Algorithm

## This is Peterson's algorithm:

	<pre>boolean[] enter = {false, false, false</pre>	<pre>false}; int yield = 0    1;</pre>	
	thread t <sub>0</sub>	thread t <sub>1</sub>	
1	while (true) {	while (true) {	10
2	// entry protocol	// entry protocol	11
3	<pre>enter[0] = true;</pre>	<pre>enter[1] = true;</pre>	12
4	yield = θ;	yield = 1;	13
5	await (!enter[1]	await (!enter[0]	14
	yield != 0);	yield != 1);	
6	critical section { }	critical section { }	15
7	// exit protocol	// exit protocol	16
8	<pre>enter[0] = false;</pre>	<pre>enter[1] = false;</pre>	17
9	}	}	18

The successors of  $\langle yield = 0, \triangleright 6, enter[0] = T, \triangleright 14, enter[1] = T \rangle$  are:

- 1. The  $t_0$  successor is  $\langle yield = 0, \triangleright 3, enter[0] = F, \triangleright 14, enter[1] = T \rangle$ .
- 2. The  $t_0$  successor is

 $\langle yield = 0, \triangleright 8, enter[0] = T, \triangleright 14, enter[1] = T \rangle.$ 

3. The  $t_1$  successor is

 $\langle yield = 0, \triangleright 6, enter[0] = T, \triangleright 15, enter[1] = T \rangle.$ 

4. There is no t<sub>1</sub> successor.

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How can the  $t_1$  successor of  $\langle yield = 0, \triangleright 6, enter[0] = T, \triangleright 14, enter[1] = T \rangle$  be  $\langle yield = 0, \triangleright 6, enter[0] = T, \triangleright 15, enter[1] = T \rangle$ ? Both threads are in their critical sections.

- State (yield = 0, ⊳6, enter[0] = T, ⊳14, enter[1] = T) does not exist.
- There is a bug in Peterson's algorithm.
- The previous slide was wrong.
- State ⟨*yield* = 0, ⊳6, *enter*[0] = *T*, ⊳14, *enter*[1] = *T*⟩ is never entered.

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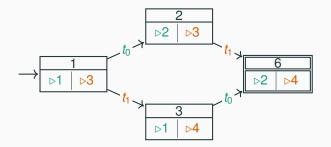
What does Peterson's algorithm achieve?

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- 2. Mutual exclusion and first-come-first-served fairness
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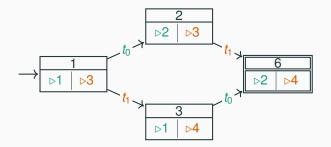
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- 2. There are no race conditions
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